Teaching SchemeExamination SchemeLTPCHrs/WeekTheoryPracticalMSESIALWLE/Viva3144255025OBJECTIVES. Working with system of ordinary differential equations and non-lineaifferential equations is stressed Being able to formulate and find solutions to more complex mathematicalncountered in the applied sciences Able to understand the existence and uniqueness of the solutions of the solutions of the solutions.	Total Marks 100
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SYLLABUS	
Jnit-I 10	
f Higher Order: Higher Order Equations, Linear Independence, Equation with cor oefficients, Equation with Variable Coefficients, Wronskian, Method of Variation	
Parameters, Reduction of the order of equation.	
JNIT II 10	
Existence and Uniqueness of solutions: Successive Approximations, Picard's theo	
Proof, Some Examples, Ordinary and Singular Points, Series Solution Method	
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Proof, Some Examples, Ordinary and Singular Points, Series Solution Method UNIT III 10 Problem Systems of Linear Differential Equations: System of First Order Equations and Uniqueness Theorem, Fundamental Matrix, The eigenvalue-eigenvector method olution, Non homogeneous Linear Systems, Linear Systems with Constant Coefficients, North Periodic Coefficients, Oscillations of Second Order Equations Comparison Theorem, Elementary Linear Oscillations, Oscillations of x'' + a(t)x	d of findin cients, ons: Sturr
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- 1. Ordinary Differential Equations, by S.G. Deo, V Lakshmikantham, V Raghvendra, Tata McGraw-Hill Publishing Company Limited, Second Edition.
- 2. Differential Equations by Edwards and Panney, Prentice Hall, Third Edition.
- 3. The Solution of Ordinary Differential Equation, E.L. Ince, Ian N. Sneddon